## ▶ LYNN SCOW, Ramsey classes of trees.

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For given structures I and M, an I-indexed indiscernible set in M is a set  $\{\overline{a}_i \mid i \in I\}$ where  $\overline{a}_i \in M^k$  and

$$(i_1,\ldots,i_n) \cong (j_1,\ldots,j_n) \Rightarrow M \vDash \varphi(a_{i_1},\ldots,a_{i_n}) \leftrightarrow M \vDash \varphi(a_{j_1},\ldots,a_{j_n})$$

for all  $n \ge 1$ , for all substructures  $\{i_k\}, \{j_k\} \subseteq I$ , and for all  $\varphi$  in the language of M. These objects were introduced in [1] and used to prove central results in classification theory. Interestingly, *I*-indexed indiscernible sets can also be used to produce proofs that certain classes of finite trees are Ramsey, by way of a "dictionary theorem". In this talk we will present the theorem and discuss three particular classes of finite trees to which it applies.

[1] S. Shelah. Classification Theory and the number of non-isomorphic models (revised edition). North-Holland, Amsterdam-New York, 1990.